

### Complexity Analysis (Time/Space)

| Complexity    | Notation     | Description                                                   |
|---------------|--------------|---------------------------------------------------------------|
| $O(1)$        | Constant     | Time/Space complexity remains constant regardless of input.   |
| $O(\log n)$   | Logarithmic  | Time/Space complexity grows logarithmically with the input.   |
| $O(n)$        | Linear       | Time/Space complexity grows linearly with the input.          |
| $O(n \log n)$ | Linearithmic | Time/Space complexity grows linearly multiplied by $\log n$ . |
| $O(n^2)$      | Quadratic    | Time/Space complexity grows quadratically with the input.     |
| $O(n^3)$      | Cubic        | Time/Space complexity grows cubically with the input.         |
| $O(2^n)$      | Exponential  | Time/Space complexity grows exponentially with the input.     |
| $O(n!)$       | Factorial    | Time/Space complexity grows factorially with the input.       |

### Big O Notation

Big O notation is used to analyze the efficiency of algorithms and represent their upper-bound time complexity. It helps us understand how the algorithm's performance scales with the input size.

### Best, Average, and Worst Case Complexity

| Case         | Description                                      |
|--------------|--------------------------------------------------|
| Best Case    | The minimum time complexity under optimal input. |
| Average Case | The expected time complexity for random input.   |
| Worst Case   | The maximum time complexity for any input.       |

To determine the complexity of an algorithm, follow these steps:

1. Identify the major operations in the algorithm.
  2. Analyze how many times each operation is executed concerning the input size.
  3. Eliminate lower-order terms and constants to find the dominant term.
- Choose the appropriate complexity notation from the Big O table.

